



4-1/CSE

Code No. : 3154

FACULTY OF ENGINEERING
B.E. 4/4 (CSE) I Semester (Main) Examination, December 2010
ARTIFICIAL INTELLIGENCE

Time : 3 Hours]

[Max. Marks : 75

Note : 1) Answer all questions from Part A.

2) Answer any five from Part B.

PART – A

(25 Marks)

1. How many nodes are expanded (in the worst case) by breadth first search technique when searching a tree with branching factor b to find a goal at a depth of d ?
2. Define alpha in alpha-beta search algorithm.
3. Represent the following sentence in first order predicate logic :
All dogs are mortal.
4. Give two advantages of expert systems.
5. Differentiate between conditional probability and joint probability.
6. What is the ramification problem ?
7. Define entropy.
8. Give an example of a linearly separable function.
9. Give an example for a noun phrase and a verb phrase. Tag each word with its part of speech.
10. Give an example for a bigram and a trigram.

PART – B

(5×10=50 Marks)

1. We are given a sliding-tile puzzle with three tiles and a blank and are given a problem with the following initial and final states where a "0" represents a blank spot. Assume that we always try moving the blank first right, then left then up and then down.

Initial

Goal

0	1
3	2

1	2
0	3

- a) How many possible states are there, either reachable or unreachable, from the given start state.
- b) If we treated the search space as a tree, what would the result of a breadth-first search be ? Of a depth-first search?

(This paper contains 2 pages)

2. Given the following English statements : 10
- No software is guaranteed
 - All programs are software
- Infer the following using resolution refutation.
- No programs are guaranteed.
3. We want to design a troubleshooting advisor for PCs. Let CF be a Boolean random variable representing whether the Computer Fails (CF = true) or not. Assume there are two possible causes of failure : Electricity-failure and Malfunction-of-the-Computer, represented using the Boolean random variables EF and MC, respectively.
Let $P(EF) = 0.1$, $P(MC) = 0.2$, $P(CF | \sim EF, \sim MC) = 0.0$, $P(CF | \sim EF, MC) = 0.5$, $P(CF | EF, \sim MC) = 1.0$, and $P(CF | EF, MC) = 1.0$.
- Draw the Bayesian Network (with CPTs) for this problem. 2
 - Compute $P(MC | EF)$ 2
 - Compute $P(CF, \sim EF, MC)$ 3
 - Compute $P(EF | CF)$ 3
4. a) Consider a perceptron with 3 inputs and one output unit that uses a linear threshold activation function with threshold 0.7, and initial weights $W1 = 0.2$, $W2 = 0.7$, $W3 = 0.9$.
- What is the output (output = 1 if it exceeds threshold, otherwise 0) of the perceptron given the inputs $I1 = 1$, $I2 = 0$, $I3 = 1$? 1
 - What are the weights' values after applying the Perceptron Learning Rule with the above input and desired output 0 (learning rate $(\eta) = 0.2$)? 3
- b) What is a multilayer feed forward network? Explain. 6
5. a) What are the different ambiguities in natural language processing? Explain with the help of examples. 5
- b) What is the language model in speech processing? Explain. 5
6. a) Explain the necessity of ADD, DELETE and PRECONDITION lists in STRIPS. 5
- b) With the help of a block diagram explain the various components of an expert system. 5
7. Write short notes on : 10
- A* algorithm
 - Decision trees